Do International Bureaucrats Matter? Evidence from the IMF

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Summary

- Explanations for IO policy emphasize preferences of powerful members.
- Some IOs (e.g. IMF) highly bureaucratized; suggests delegation by member states.
- Little theory or evidence supporting credibility of bureaucratic delegation.
- Theory: IMF staff hold bargaining power over outcomes; selected strategically to induce reform.
- Evidence: Investor reactions to staff appointments estimated via event study.

Actors and Actions

- Consider a principal, bureaucrat, and set of member states, $i \in \mathcal{C}$ where $|\mathcal{C}| = C < \infty$.
- Principal selects bureaucrat type, $\theta \in [0, 1]$
- Country $i \in \mathcal{C}$ selects costly reform, $x_i \in \mathbb{R}^+$
- Crisis occurs w.p. $\gamma(x_i) \in (0,1); \gamma' < 0, \gamma'' > 0$
- If crisis in country i:
- Players bargain over loan, $L_i \in \mathbb{R}^+$
- Bureaucrat ideal implemented w.p. $r \in [0, 1]$.
- Principal ideal implemented w.p. (1-r)
- r > 0 implies credible delegation

Preferences

Principal utility:

$$u_P = \sum_{i \in \mathcal{C}} \underbrace{\eta(x_i)}_{\text{Value of Reform}} - \underbrace{\gamma(x_i)}_{\text{Pr(Crisis)}} \times \underbrace{(\omega_i - \mathbb{E}[L_i|r,\theta])}_{\text{Preferred}-\mathbb{E}[\text{Loan}]}$$

where $\eta' > 0, \eta'' < 0$.

Bureaucrat:

$$u_B = -\sum_{i \in \mathcal{C}} \underbrace{\gamma(x_i)}_{\text{Pr(Crisis)}} \times \underbrace{\left(\mathbb{E}[L_i|r] - \theta\omega_i\right)}_{\mathbb{E}[\text{Loan}] - \text{Preferred}}$$

where $\mathbb{E}[L_i|r] \geq \theta\omega_i$ for any r, ω_i .

Member State i:

$$u_i = -\underbrace{\gamma(x_i)}_{\text{Pr(Crisis)}} \times \underbrace{(D_i - \mathbb{E}[L_i|r,\theta])}_{\text{Debt-}\mathbb{E}[\text{Loan}]} - \underbrace{\phi(x_i)}_{\text{Cost of Reform}}$$

where $\phi' > 0, \phi'' > 0$.

Equilibrium Characterization

P1. Member state optimally chooses x_i s.t.,

$$\underbrace{\phi'(x_i^*)}_{\text{MC of Reform}} = \underbrace{-\gamma'(x_i^*)}_{\Delta \text{Pr(Crisis)}} \times \underbrace{[D_i + \omega_i[r(1-\theta)-1]]}_{\mathbb{E}[\text{Cost of Crisis}]}$$

P2. Optimal reform decreases in θ ,

$$0 > \frac{dx_i^*}{d\theta} = \frac{\gamma'(x_i)(r\omega_i)}{\phi''(x_i) + \gamma''(x_i)(D_i + \omega_i[r(1 - \theta) - 1])}$$

P3. Principal optimally chooses θ s.t.

$$\sum_{i \in \mathcal{C}} \frac{\gamma(x_i^*(\theta^*))r\omega_i}{\text{MC of Delegation}} =$$

$$\sum_{i \in \mathcal{C}} \left[\gamma'(x_i^*(\theta^*)) r (1 - \theta^*) \omega_i - \eta'(x_i^*(\theta^*)) \right] \frac{dx_i^*}{d\theta}$$
Marg. Reduction in Pr(Crisis) + Marg. Gain from Reform

Investor Valuations

- Continuum of investors buy, sell sovereign debt.
- Observe all parameters, but $\boldsymbol{\omega} = (\omega_1, ..., \omega_C)$.
- Prior beliefs, $F: \mathbb{R}^C \to (0,1)$
- Sovereign risk at time t reflects:
- Commonly known exogenous factors, $\Gamma_{i,t}$
- Probability of crisis, $\gamma(x_i^*(\mathbb{E}_F[\theta^*(\boldsymbol{\omega})]))$
- Expected crisis loss, $I \mathbb{E}_F[L_i(\omega_i, \theta^*(\boldsymbol{\omega}))|r]$
- Risk premium,

$$V_{i,t} = \mathbf{\Gamma}_{i,t} - \gamma(x_i^*(\mathbb{E}_{F_i}[\theta^*(\boldsymbol{\omega})]))[I - \mathbb{E}_{F_i}[L_i(\omega_i, \theta^*(\boldsymbol{\omega}))|r]]$$

Effect of Staff Appointments

Appointments $(\theta = \theta^*)$ reveal info about:

- \bullet Principal preferences, ω
- **2** Expected loan size, $\mathbb{E}_F[L_i(\omega_i, \theta^*(\boldsymbol{\omega}))|r]$
- 3 Anticipated reforms, $x_i^*(\theta^*(\boldsymbol{\omega}))$,
- Resulting change in crisis probability, $\gamma(x_i^*(\theta^*(\boldsymbol{\omega})))$

Statistical Model

- Suppress i and let $t=0 \Rightarrow$ revelation of θ
- Exogenous factors, Γ_t comprised of:
- Observable time invariant factors, α_0
- Observable time-varying factors, $X_t \beta$
- Unobservable (to econometrician) factors,

$$\epsilon_t \sim \mathcal{N}(0, \sigma^2)$$

- Denote investor expected loss at t by α_t
- Risk premium at t,

$$V_t = \alpha_0 + \alpha_t + \boldsymbol{X_t}\boldsymbol{\beta} + \epsilon_t$$

Estimation

Step One

- Note $\alpha_t = \alpha_{t'} = \alpha_1$ for any t, t' < 0.
- Letting $\alpha = \alpha_0 + \alpha_1$, estimate parameters (α, β) employing pre-treatment observations.
- Estimating equation:

$$V_t = \alpha + \mathbf{X}_t \boldsymbol{\beta} + \epsilon_t$$
 for $t < 0$
Step Two

- Note $\alpha_t = \alpha_{t'} = \alpha_2$ for any $t, t' \geq 0$.
- Using $(\hat{\alpha}, \hat{\beta})$ calculate:

$$\hat{V}_t = \hat{\alpha} + \boldsymbol{X}_t \hat{\boldsymbol{\beta}} \quad \text{for } t \ge 0$$

Quantity of interest is,

$$V_t - \hat{V}_t = \alpha_2 - \alpha_1 + \epsilon_t \quad \text{for } t \ge 0$$
$$= \Delta + \epsilon_t$$

Comments:

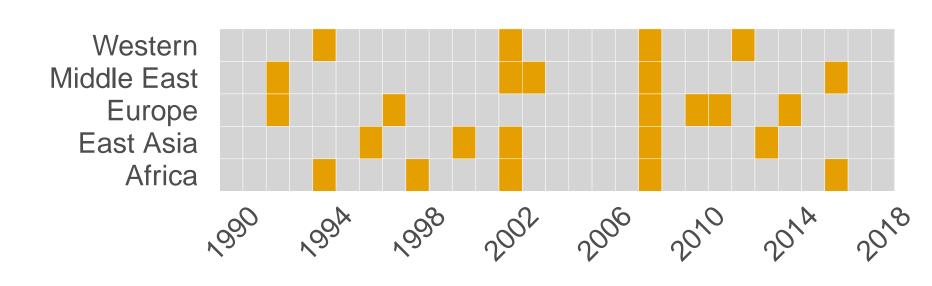
- Estimate Δ_i for each i; average across region.
- Use pre-treatment sample variance for inference.
- Identical to "market model" event study.

Data & Identifying Assumptions

Data:

- V_t : Daily sovereign bond spreads for i (GFD).
- X_t : Daily sovereign bond spreads for $\mathcal{C} \setminus i$.
- Events: IMF area head appointments (IMF).

Fig 1. Changes in Area Department Heads



Orange denotes change of area department director, grey denotes no change.

Exogeneity of Appointments:

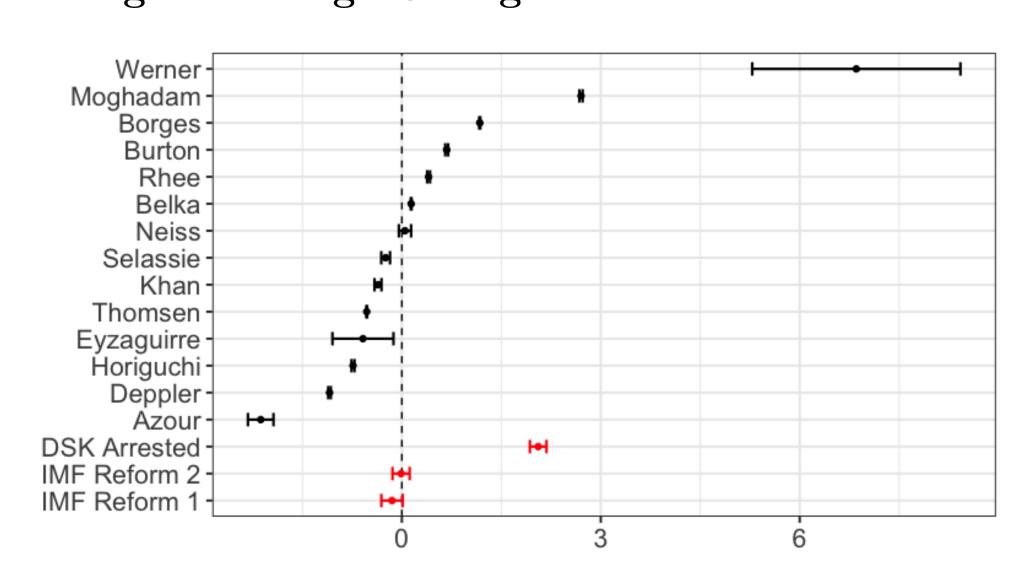
• Secretive process (interviews with IMF staff).

SUTVA:

• Drop covariate yields for in-region countries.

Results

Fig 2. Average Change in Investor Beliefs



- Mean Δ_i with 95% confidence intervals.
- Red depicts average effect for IMF borrowers of voice and quota reforms, departure of DSK.
- Similar results obtain employing PanelMatch and gsynth packages in R.

Conclusions & Next Steps

- Evidence of credible delegation to senior members of IMF staff.
- Develop measure of individual reputations.
- Extend to explore applicability to other IOs.

Quantity of Interest: Change in Investor Beliefs

Investor change in expected risk:

$$\Delta_i = \gamma(x_i^*(\mathbb{E}_F[\theta^*(\boldsymbol{\omega})]))[I + \mathbb{E}_F[\omega_i][r(1 - \mathbb{E}_F[\theta^*(\boldsymbol{\omega})]) - 1]] - \gamma(x_i^*(\theta^*))[I + \omega_i[r(1 - \theta^*) - 1]]$$

- If r=0, then member state reform unresponsive to θ^* and Principal randomizes since indifferent.
- No information transmission $\Rightarrow \Delta_i = 0$ for all i.
 - H1. Delegation is credible (r > 0).